

Moving source

$$V = f$$
 $f = V$
 $f' = V$

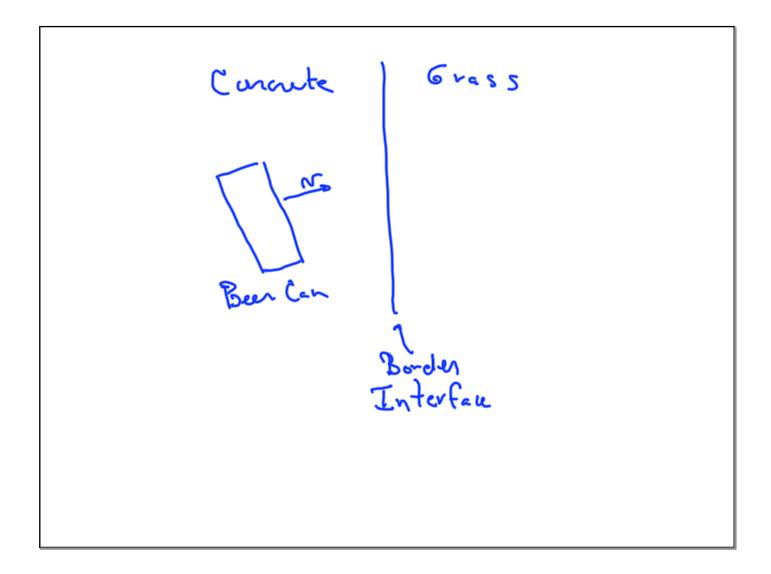
Moving Observer Observes to of wares that pass a stationary observer in a time # of waves = Nt Hawaves/soc = = Frequency Now let observer more toward source with speed of Hogward = (N+No)E # & mones/2 = \frac{7}{\nu + \no} = \frac{\tau}{\nu + \no} = \frac{\tau}{\nu + \no} $t_j = t\left(\frac{\omega}{\omega + \kappa^e}\right)$

Notice that the Doppler shift due to source motion is different from that of observer motion. In the case of light, both effects produce the same shift because the speed of light is independent of reference frame.

• A source emits a sound wave with a frequency of 426.6 Hz while it moves away from an observer with a speed of 15 m/s relative to the ground. If the observer is moving toward the source at 5 m/s relative to the ground, what is the frequency heard by the observer? Use 343 m/s for the speed of sound.

$$f' = f\left(\frac{n \pm n_{6}}{n \pm n_{5}}\right) = 426.6 \left[\frac{343 \pm 5}{343 + 15}\right]$$

$$f = 414.7 \text{ Hz}$$



The G string on a guitar has a fundamental frequency of 196 Hz and a length of 0.62 m This string is pressed against the proper fret to produce the note C, whose fundamental frequency is 262 Hz. What is the distance L between the fret and the end of the string at the bridge of the guitar?

$$f_{c} = |96H_{2}| = 0.62m$$

$$L = \frac{1}{2} L = 1.24m$$

$$N = f_{1} = (|96H_{2}|(1.24))$$

$$f_{2} = \frac{N}{2} = \frac{(|96|(1.24))}{2} = 262$$

$$262H_{2} = \frac{(|96|(1.24))}{2} = 0.46m$$

$$\frac{1}{2}(262H_{2}) = 0.46m$$