

Problems of the Week 1

Always show your work to receive credit (NO WORK=NO CREDIT)

1. **Modeling Problem-** Crude oil comes from the Earth's (radius $\approx 6400\text{km}$) crust, which is 40km thick. Assuming that the entire crust of the Earth is filled with oil, estimate how long will the oil last assuming the rate of consumption increases by 3% per year. The present daily rate of consumption is 80 million barrels per day worldwide (1 barrel= 42 gallons). You can use the 70 -rule for growth for your estimate or the expression for growth compounded in discrete intervals or set up an Excel spreadsheet (**you are not allowed to use the equations for continuous and discrete growth from your calculus text**).
- A. 4×10^9 years B. 7×10^6 years C. 4×10^4 years
D. 8×10^2 years E. 5×10^1 years

Just for fun see how your answer changes when you vary the rate of growth in consumption. Between 1880 and 1970 (<http://www.hubbertpeak.com/hubbert/print.htm>) the rate of growth in oil was 7% per year. It is much lower now.

70 -rule: the time for a quantity to double, given a growth rate is $70/\text{rate}$. Example, if you have $\$500$ in a savings account accruing interest at 5% per year, then it would take $70/5=14$ years to double the principle.

2. An object moves with an acceleration $a=3.0 \times 10^2 - 7.5 \times 10^2 t$, where a is measured in cm/s^2 . Assuming that the initial velocity and position of the object are $v(t=0)=-6.0 \times 10^1 \text{cm/s}$ and $x(t=0)=8.0 \text{cm}$, what is the velocity of the object when $x=0$?
- A. -350cm/s B. -25cm/s C. 0cm/s D. 150cm/s E. 750cm/s