

Reminders 10-11-10:

- Turn in "Momentum" Worksheet Wednesday**
- Exam 2 Ch 4-6 Mon. Oct. 18**
- No QUIZ THIS WEEK**

Objectives:

- Impulse**
- Impulse Momentum Theorem**
- Conservation of Momentum**

$$F \Delta t = m \Delta v$$

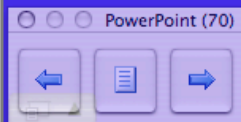
Example

- Why do airbags help to protect us from serious injury in a collision?

Increases Δt

- Suppose you jump from a height of 3.0 m. Why is it advisable to land with your legs bent instead of stiff-legged?

Increases Δt



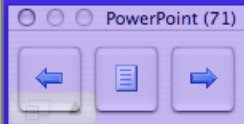
In both cases

Example

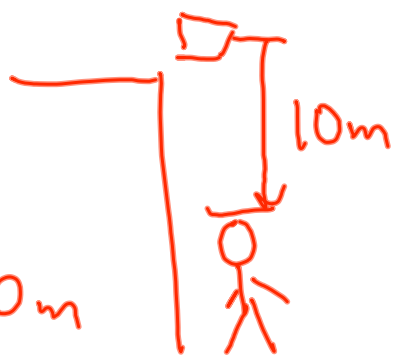
$F \Delta t$ is same because $v_f = 0$ $v_i = v$

- Which will cause more damage $\Delta p = mv$
 - driving your car into a brick wall or
 - driving your car into an oncoming vehicle that has the same mass and speed but is moving in the opposite direction?

Hint: What is $F \Delta t$ in both cases?



- A mischievous child drops a 1 kg flower pot from the head of a person 10 m below. What momentum of the pot upon impact?

$$p = mV$$


The diagram shows a stick figure representing a person. A vertical line extends upwards from the top of the person's head to a small square representing a flower pot. A double-headed vertical arrow between the pot and the person's head is labeled '10m', indicating the height from which the pot is dropped.

$$a_y = -9.80 \frac{\text{m}}{\text{s}^2}$$

$$v_i = 0 \quad \Delta y = -10 \text{ m}$$

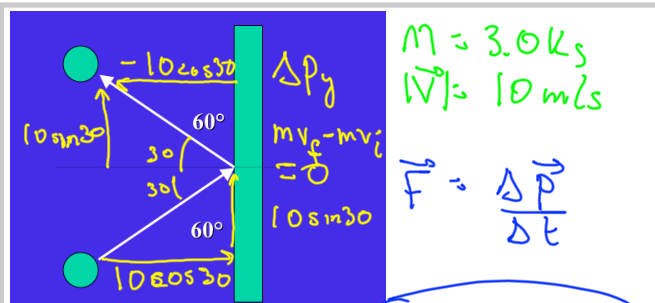
$$v_f^2 = v_i^2 + 2a\Delta y$$

$$v_f = \sqrt{2a\Delta y} = \sqrt{2(-9.8)(-10)}$$

$$= -14 \text{ m/s}$$

$$\vec{p} = (1 \text{ kg})(-14 \text{ m/s}) = -14 \text{ kg m/s}$$

or 14 kg m/s down



$$F_x = \frac{\Delta P_x}{\Delta t}$$

$$F_y = \frac{\Delta P_y}{\Delta t}$$

$$F = \sqrt{F_x^2 + F_y^2} \quad \theta = \tan^{-1} \frac{F_y}{F_x}$$

$F_y = 0$ because $\Delta p_y = 0$
 speed doesn't change
 in y-dir.

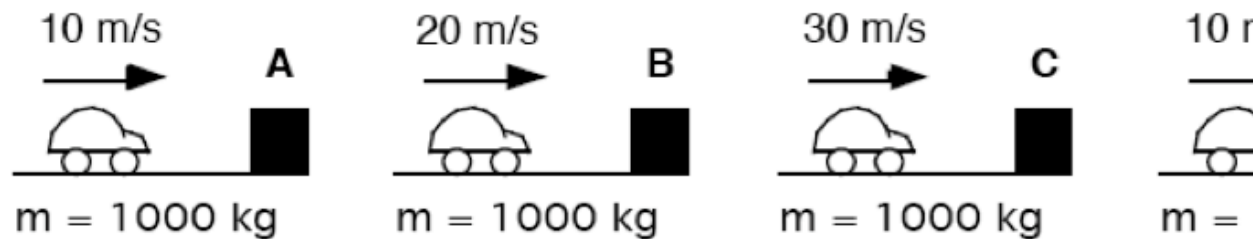
$$\begin{aligned}
 f_x &= \frac{\Delta P_x}{\Delta t} = \frac{mv_{xf} - mv_{xi}}{\Delta t} \\
 &= \frac{m(v_{xf} - v_{xi})}{\Delta t} \\
 &= \frac{3 \text{ kg}(-10 \cos 30 - 10 \cos 30) \frac{\text{m}}{\text{s}}}{0.2 \text{ s}} \\
 &= -260 \text{ N} = \text{Force of wall} \\
 &\quad \text{on ball in } \cancel{x}\text{-dir}
 \end{aligned}$$

Force of ball on wall is
 260 N in \cancel{x} -direction
 due to Newton's 3rd
 law.

Shown below are eight cars that are moving along horizontal roads at specified speeds and masses of the cars. All of the cars are the same size and shape, but they are carrying different masses. All of these cars are going to be stopped by plowing into identical barriers. All of these cars are going to be stopped by the same constant force by the barrier.

Criteria: Want Biggest Δp

Rank these situations from greatest to least on the basis of the stopping time that the cars with the same force. That is, put first the car that requires the longest time that requires the shortest time to stop the car with the same force.



GH, F, CD, BE, A

Longest 1 _____ 2 _____ 3 _____ 4 _____ 5 _____ 6 _____ 7 _____ 8 _____ Shortest

Or, all cars require the same time. _____

Please carefully explain your reasoning.

$$\mathbf{m}_g \vec{\mathbf{a}}_g = -\mathbf{m}_o \vec{\mathbf{a}}_o$$

$$\mathbf{m}_g \frac{\Delta \vec{\mathbf{v}}_g}{\Delta t} = -\mathbf{m}_o \frac{\Delta \vec{\mathbf{v}}_o}{\Delta t}$$

$$\mathbf{m}_g (\vec{\mathbf{v}}_{fg} - \vec{\mathbf{v}}_{ig}) = -\mathbf{m}_o (\vec{\mathbf{v}}_{fo} - \vec{\mathbf{v}}_{io})$$

$$\underbrace{\mathbf{m}_g \vec{\mathbf{v}}_{fg} + \mathbf{m}_o \vec{\mathbf{v}}_{fo}}_{\text{Total final momentum}} = \underbrace{\mathbf{m}_g \vec{\mathbf{v}}_{ig} + \mathbf{m}_o \vec{\mathbf{v}}_{io}}_{\text{Total initial momentum}}$$
$$\Sigma \mathbf{p}_i = \Sigma \mathbf{p}_f; \text{ a constant!}$$

Linear momentum is **conserved** in a collision as long as no external forces are present.

PowerPoint (78)



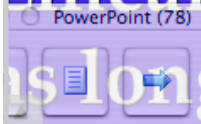
$$\mathbf{m}_g \vec{\mathbf{a}}_g = -\mathbf{m}_o \vec{\mathbf{a}}_o$$

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- A 2.0 kg gun fires a 5.0 g bullet. The bullet has a velocity of 6.0×10^2 m/s. Find the recoil velocity of the gun. Note that the momentum of the bullet is equal to the momentum of the gun. Why does the bullet cause more damage than the gun?



$$\sum \vec{p}_i = \sum \vec{p}_f$$

$$0 = M_G v_{fG} + m v_{fB}$$

$$M_G v_{fG} = -m v_{fB}$$

$$v_{fG} = \frac{-m v_{fB}}{M_G}$$

$$= \frac{(.005 \text{ kg})(600 \frac{\text{m}}{\text{s}})}{2.0 \text{ kg}}$$

$$= \underline{1.5 \text{ m/s}}$$

$$\Delta KE_G = \frac{1}{2} (2.0) (1.5 \text{ m/s})^2 = 2 \text{ J}$$

$$\Delta KE_B = \frac{1}{2} (.005) (600)^2 = 900 \text{ J}$$

$$W = Fd$$

Bullet requires more work to stop it. So it causes more damage